Experimental Antenna and Circuit Model for Charging an Electronic Device from the Ambient Electromagnetic Waves

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Abstract: Electronic device use is on the rise as more and more tasks in everyday life are conducted online. As a consequence, charging is a unique aspect of any electronic device. However, the capacity of any electronic device's battery is fixed. On the other hand, charging the unit at any time and in any place is incredibly difficult. As a result, people are having a difficult time charging their electronic devices. The goal of this project is to develop a theoretical antenna model and a circuit diagram to solve this problem. To absorb EM waves from the environment and to inclusively to charge the battery, an extra helical antenna is used. The antenna would immediately come out if the residual charge of that device is less than 20%. As Electromagnetic (EM) waves pass into the antenna's receiving circuit, a continuous magnetic field causes a small amount of voltage. This induced voltage is not enough for charging a device. This induced voltage is multiplied four times in this amplified circuit and then connected to the battery of that device. This suggested approach would minimize charging crisis by 90%. This is one of the most efficient ways to use of renewable energy.

Keywords: Helical Antenna, Induced Voltage, Voltage Amplifier, Voltage Standing Wave Ratio (VSWR), Return Loss, Input Impedance

Introduction

Electromagnetic radiation is still there and all over us. Natural or man-made energy may come from either earthly or extraterrestrial sources. The emanations targeted by an intruder are energy encoded with information that is radiated from electronic devices. Electromagnetic waves are the product of such emanations and these waves follow the physical rules. As a result, these rules control the conduct of messages that must be protected from being tampered with (Norman, 2014). Electromagnetic waves have long been used for a wide variety of applications, e.g., communications, radar, remote sensing heating, medical applications, etc. Recently, the use of electronic devices has increased a lot. Electromagnetic radiation (EM radiation) refers to the waves (or their quanta, photons) of the electromagnetic field (Purcell et al., 1965), propagating (radiating) through space, carrying electromagnetic radiant energy.

Figure 1 shows that the electric field and magnetic field are perpendicular to each other and their resultant field (electromagnetic field) is perpendicular to both of them. Electric and magnetic fields obey the properties of superposition. Thus, a field due to any particular particle or time-varying electric or magnetic field contributes to the fields present in the same space due to other causes.

Fig. 1: Electromagnetic wave (Browne, 2013)
Both the electric and magnetic field vectors are perpendicular to each other in an electromagnetic wave. When it is perpendicular through a helical coil such as the solenoid or even an inductor, a steady magnetic field is produced along the axis of the coil. Both magnetic and electric fields are related to each other (Browne, 2013). Further, as they are vector fields, all magnetic and electric field vectors are added together according to vector addition (Cloude, 1995). Electromagnetic waves are emitted by electrically charged particles undergoing acceleration (Bettini, 2016) and these waves can subsequently interact with other charged particles, exerting force on them. EM waves carry energy, momentum and angular momentum away from their source particle and can impart those quantities to matter with which they interact. Electromagnetic radiation is associated with those EM waves that are free to propagate themselves (‘radiate’) without the continuing influence of the moving charges that produced them, because they have achieved sufficient distance from those charges. Thus, EMR is sometimes referred to as the far field. In this language, the near field refers to EM fields near the charges and current that directly produced them, specifically electromagnetic induction and electrostatic induction phenomena. The wire is electrically neutral. For every electron in the wire there is a proton, so the electron traveling alongside should feel no pull towards the wire or a push away (Kraus and Williamson, 1948). Axial-mode helical antennas are one of the excellent candidates for achieving circular polarizations in wireless communications due to their advantages such as high gain and wide Axial Ratio (AR) bandwidth (Kraus, 1949; Dennison et al., 2002). Despite the progress of classical electromagnetic theory in dealing with light propagation, interference and scattering, research performed towards the end of the nineteenth century and the beginning of the twentieth century culminated in the introduction of the corpuscular theory, albeit in a different form than Newton suggested (Nakano et al., 1991).

Electronic gadgets and screens are being used more often and children are exposed to devices at younger and younger ages. Our use of devices such as televisions, computers, laptops, e-readers and cell phones has increased exponentially over the past few decades (Tang et al., 2016a). The calculated model for charging an electronic device from the ambient EM waves is unusual in the literature (Tang et al., 2016b; Zeain et al., 2020; Guo et al., 2016; Kar et al., 2021; Dai et al., 2016; Kindl et al., 2020; Jiang et al., 2012; Beh et al., 2014; Zeng et al., 2017), despite its importance for coverage forecasts. Using the previous approaches, induced voltage was so low. The bulk of the times, consumers have a difficult time charging their devices. No paper expresses a straightforward understanding of the proposed model. At different frequency networks, this study provides an approximate model for charging a device. The ambient waves are received using a helical antenna. During propagation, a small voltage is induced. A step-up transformer is used to amplify this induced voltage. A sensor is used to control the switching circuit. If the remaining charge is less than 20% of the total battery charge, the sensor sends a signal to the switching circuit. Then the switch becomes closed and this state will continue until 2 h which can be modified. Implementing this model, charging problems can be reduced.

Related Work

Zeain et al. (2020), the authors suggested a strip-helical antenna with a parasitic circular patch for circular polarization. Two nearby Circularly Polarized (CP) resonances were created and a broad Axial Ratio (AR) bandwidth was obtained by combining the strip-helix and the parasitic patch.

Using teflon material, the authors created a helical antenna that achieves circular polarization without impedance matching at 5.8 GHz. The helical antenna on the teflon substrate achieves a wideband bandwidth of 2.41 GHz with a resonant frequency of 5.8 GHz (Tang et al., 2016a).

The authors of (Guo et al., 2016) proposed an experimental circuit model to increase the signal intensity in the lift. All of the EM waves were processed using an outdoor antenna. To transmit a particular signal, a resonant circuit was used. The signal was amplified using an amplifier circuit. In the elevator, an indoor antenna was used.

A 1.1-turn wideband strip-helical antenna was numerically and experimentally studied. With 50-ohm impedance matching, the strip helix will excite a wideband Circular Polarization (CP) wave. To have a directional radiation pattern, a ground plane was mounted underneath the antenna. The suggested antenna was printed on a hollow-cylinder substrate with  = 2.2 relative permittivity and h = 0.5 mm thickness (Kar et al., 2021).

The authors created the Concurrent Charging Scheduling Problem (CCSP) based on the concurrent charging paradigm, with the goal of rapidly completely charging all of the sensor nodes. Following the proof of CCSP’s NP-hardness, two effective greedy algorithms were suggested, with the approximation ratio of one of them. At small network and charger scales, all greedy algorithms performed almost as well as a well-designed Genetic Algorithm (GA), which performs almost as well as a brute force algorithm (Dai et al., 2016).

PESA, a wireless charger positioning system, was suggested by the authors (Kindl et al., 2020). Any location on the plane was secure from EMR. They discretized the entire charging area and formulated the problem as a Multidimensional 0/1 Knapsack (MDK) problem with a short approximation algorithm.
Jiang et al. (2012), the computational modelling phase was concerned with high-power wireless power transmission systems. They looked at the inductive magnetic coupler’s electromagnetic nature and suggested core formulas for optimizing its electrical parameters for a specific load. The system was used to charge the battery as well as the resistive load.

Wireless chargers for Electric Vehicles (EVs) would also be a useful feature, as they would eliminate the need to remember to plug in the car after parking. Wireless charging for electric vehicles is an application that necessitates high electrical capacity (up to hundreds of kilowatts) and a greater wireless power transmission region, resulting in increased electromagnetic field exposure. The dilemma was addressed using the Hazard Based Safety Engineering (HBSE) concept and the UL training curriculum was implemented (Beh et al., 2014).

The architectures of closely coupled lumped magnetic couplers were explored in (Zeng et al., 2017). For the side and bracket stands, a cylindrical solenoidal vertical Pickup (PU) and a horizontal solenoidal bar PU were also studied. A solenoidal bar PU with a double-D primary was shown to have good coupling and low magnetic field emissions.

A wireless charging coupler with a high coupling coefficient can increase transmission speed. The equivalent magnetic circuit and the expression of coupling coefficient are obtained to achieve a higher coupling coefficient of a Double D (DD) coupler, providing some instructions for magnetic core optimization (Huang et al., 2019).

The authors suggest a new Selectable Regional Charging Wireless Power Transfer (SRC-WPT) device that can simultaneously charge multiple receivers. The SRC-WPT configuration used a transmitter array with different WPT frequency characteristics, with relays controlling the line (Norman, 2014).

The authors suggest an experimental circuit model for increasing the signal strength of a mobile phone in the lift. The proposed model demonstrates that the signal intensity level is nearly constant during the lift (Kar et al., 2021).

**Methodology**

**Key Factors of Receiving Electromagnetic Waves**

**Antenna Polarization**

The time changing action of the electric field strength vector at some point in space is referred to as the polarization of a uniform plane wave (Kraus and Williamson, 1948). In general, the power loss due to polarization mismatch is defined by the Polarization Loss Factor, which is given by equation for two linearly polarized antennas that are rotated by an angle $\phi$:

$$Polarization\ Loss\ Factor = \cos^2 \phi$$

**Effective Length**

The effectiveness of an antenna as a radiator or collector of electromagnetic wave energy is measured by its effective duration (Tang et al., 2016b). The effective length ($L_e$) of a receiving antenna can be determined using calculations for induced voltage and incident field (2):

$$L_e = \frac{Open\ circuit\ voltage}{incident\ electric\ field\ intensity}$$

**Effective Aperture**

The effective aperture of the EM wave transmitting antenna must be large enough to absorb all of the power (Tang et al., 2016a). The plane wave's Poynting vector, or power density, is $S$ watts per square meter and the helical antenna's field, $A_p$, is square meter. Equation (Tang et al., 2016b) gives the obtained power (3).

$$Received\ power = SA_p$$

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**Fig. 2:** Flow chart of the proposed work
Antenna Directivity

An antenna’s Directivity (D) is defined as the ratio of the antenna’s radiation intensity in one direction to the averaged radiation intensity in all directions, as given by Eq. (4). The cumulative power radiated \( P_{rad} \) by the antenna divided by \( 4\pi \) gives the average radiation intensity (Guo et al., 2016).

\[
D = \frac{4\pi \varphi_{\text{max}}}{P_{\text{rad}}} = \frac{4\pi \varphi_{\text{max}}}{4\pi \varphi_0}
\]  
(4)

Here, \( \varphi_{\text{max}} \) = the maximum radiation intensity, when receiving and transmitting antennas are in same direction. \( \varphi_0 \) = the radiation intensity for isotropic antenna.

Antenna Gain

Antenna gain is defined (Guo et al., 2016) by Eq (5):

\[
G = \frac{\text{Radiation intensity in a given direction}}{\text{Average total input power}}
\]  
(5)

Antenna gain (G) is dependent on the directivity of the antenna shown in Eq. (6):

\[
\text{Gain}, G = kD
\]  
(6)

Here,

- \( k \) = The Efficiency Factor and
- \( D \) = The directivity of the antenna

If an antenna has no losses like as ohmic, dielectric mismatch i.e., 100% efficiency, then directivity and gain are same (Guo et al., 2016).

Absorption Ratio of Receiving Antenna

The effective aperture of a helical antenna is approximately 50%. The physical aperture and the effective aperture are equal if there is no thermal failure and the field is in motion and optimum directivity is obtained (Guo et al., 2016).

\[
\gamma = \frac{(Ae)_{\text{max}}}{A_p}
\]  
(7)

Where,

- \( \gamma \) = Absorption ratio
- \( Ae \) = Effective aperture
- \( A_p \) = Physical aperture

Collecting Aperture of Receiving Antenna

Due to effective, scattering and aperture loss, power lost by the receiving antenna is lost as heat in load resistance, radiation resistance and antenna loss resistance (Guo et al., 2016). Equation gives the collecting aperture (8).

\[
\text{Collecting aperture}, A_c = A_e + A_s + A_l
\]  
(8)

Here,

- \( A_c \) = Collecting aperture
- \( A_e \) = Effective aperture
- \( A_s \) = Scattering aperture,
- \( A_l \) = Loss apertures

Flow Chart of the Work

The flow chart by which the proposed model has designed is shown in Fig. 2 and 3. The ambient electromagnetic waves would be picked up by the helical antenna. The receiving circuit of the antenna will

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Fig. 3: Theoretical circuit design of the proposed model
experience a very low voltage as a result of the electromagnetic waves. This induced voltage is not enough for charging a device. This induced voltage is multiplied four times in this amplified circuit and then connected to the battery of that device.

**Theoretical Circuit Design**

The ambient waves are received by the proposed helical antenna and a small voltage is induced in the inductor. A step-up transformer is used to amplify this induced voltage. R1's value changes automatically in response to the induced EMF in the circuit. A sensor is used to control the switching circuit. If the remaining charge is less than 20% of the total battery charge, the sensor sends a signal to the switching circuit. Then the switch becomes closed and this state will continue until 2 h, which can be modified by the user using a timer circuit. After 2 h, the switching circuit will operate as an open circuit and then as a close circuit if the previous condition is met. Implementing this model, charging problems can be reduced.

**Design of Helical Antenna and Specification**

Figure 4 shows the configuration of the helical antenna. A circular ground plane and a cylindrical helix consisting of vertical strips of uniform width (w) make up the structure. For right-hand circular polarization, the helix is rolled in the Right-Hand direction (RHCP).

The detailed dimensions of the helix are given as follows:

- \( D \) = The diameter of the helix,
- \( S \) = The spacing between the turns (center-to-center),
- \( \alpha \) = The pitch angle (\( \alpha = \arctan(S/\pi D) \))
- \( C \) = The circumference of the helix (\( C = \pi D \))
- \( N \) = The number of turns and
- \( H \) = The total height of antenna (\( H = NS \))

**Induced Voltage**

The magnetic field differed over time when the antenna was at rest, with usual creating an angle with the plane of the antenna. The magnetic field differed with frequency and was determined using Eq. (9):

\[
B = B_0 \sin \omega t
\]  

(9)

**Table 1: The design specifications of 10 GHz helical antenna**

<table>
<thead>
<tr>
<th>Parameters</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Dielectric constant (( \varepsilon_r ))</td>
<td>2.2</td>
</tr>
<tr>
<td>Pitch angle (( \alpha ))</td>
<td>13°</td>
</tr>
<tr>
<td>Wavelength (( \lambda ))</td>
<td>0.375 m</td>
</tr>
<tr>
<td>Circumference (( C ))</td>
<td>0.13 m</td>
</tr>
<tr>
<td>Number of turns (( N ))</td>
<td>10</td>
</tr>
<tr>
<td>Spacing between turns (( S ))</td>
<td>0.0</td>
</tr>
<tr>
<td>Height of helical antenna (( H ))</td>
<td>30</td>
</tr>
<tr>
<td>Ground Plane (0.75 ( \lambda ))</td>
<td>0.03</td>
</tr>
</tbody>
</table>

Fig. 4: Geometry of the proposed helical antenna (Guo et al., 2016). (a) 3D view. (b) Side view. (c) Unrolled helix of one turn
Now, EMF Voltage in a rotating helical antenna in a time dependent magnetic field is given by Eq. (10):

\[
\varepsilon = \oint E \cdot dl = -\int \frac{\partial B}{\partial t} \cdot dl + \oint (\mathbf{v} \times \mathbf{B}) \cdot dl
\]

\[
\varepsilon = E_r + E_\theta - \int \frac{\partial B}{\partial t} \cdot ds + \oint (\mathbf{v} \times \mathbf{B}) dl
\]

\[
= -\omega \pi r^2 B_0 \cos \theta \cos \omega t + \omega \pi r^2 B_0 \sin^2 \omega t
\]

\[
= -\omega \pi r^2 B_0 \cos \omega t - \omega \pi r^2 B_0 \sin^2 \omega t
\]

\[
\varepsilon = -\omega \pi r^2 B_0 \sin \omega t \cdot ds + \oint (\mathbf{v} \times \mathbf{B}) \cdot dl
\]

For fixed helical antennas, the loop was at rest, i.e., \( v = 0 \) and the voltage in a closed path was referred to as the Electromotive Force (EMF). The voltage around a helical antenna is calculated using the Eq. (11):

\[
\oint E \cdot dl = \int \frac{\partial}{\partial t} \left( B_0 \sin \omega t \right) ds = -\omega \cos \omega t \oint B_0 dS
\]

\[
= -\omega \cos \omega t B_0 \cos \omega t ds = -\omega \pi r^2 B_0 \cos \omega t \cdot ds
\]

\[
= -\omega \pi r^2 B_0 \cos^2 \omega t \oint E \cdot dl = -\omega \pi r^2 B_0 \cos^2 \omega t
\]

**Simulated Results**

**Helix Antenna Height Against Number of Turns**

The cumulative height of the proposed helix antenna was determined using the equation \( H = NS \) at three normalized circumferences of \( C = 0.94, C = 1.28 \) and \( C = 1.66 \) as seen in Fig. 5. It was obvious that when \( N \) ranged from 3 to 10, the smoothly rising height reached its maximum value. This meant that the overall height of the helical antenna was highly dependent on the turn separation.

**Axial Ratio Against Number of Turns**

As the number of loops \( N \) increased, the axial ratio for helix antennas decreased, as seen in Fig. 6.

As the number of loops \( N \) increased, the axial ratio of the helical antenna decreased. When the diameter \( C \) was close to a wavelength given by equation, helix antennas with at least three turns were close to circular polarization in the +z direction (12):

\[
\frac{3\lambda}{4} \leq C \leq \frac{4\lambda}{3}
\]

The circumference \( C \) was selected such that the above inequalities approximately determined the helix antenna's operational bandwidth. For pitch angles of 12 to 14 degrees, the helix antenna worked well. The pitch angle was normally set to 13 degrees.

**Received Power Against Frequency**

Figure 7 shows the helical antenna's received radiation pattern at various wavelengths. At \( N = 10 \), the graph above was simulated. The obtained EM power is seen in solid colors against a frequency spectrum of 1.5 GHz to 2.4 GHz. At \( r = 0.04 \) m, \( r = 0.03 \) m and \( r = 0.02 \) m, the colors magenta, blue, red and black reflect the same relationship. The above graph shows that \( r = 0.02 \) m or \( r = 0.03 \) m is very effective for receiving maximum EM power.

**3D Radiation Pattern of Proposed Helical Antenna**

Figure 8 shows the proposed helical antenna's 3D radiation pattern at \( f = 2.4 \) GHz, \( P_{max} = 11.7 \) dB, \( P_{min} = -12.1 \) dB, Azimuth \([-180^\circ:180^\circ]\) and Elevation \([-90^\circ:90^\circ]\). Azimuth \([-180^\circ:180^\circ]\) and Elevation \([-90^\circ:90^\circ]\).

The X-axis is red, the Y-axis is green and the Z-axis is blue.

**Input Impedance Against Frequency**

The red line in Fig. 9 reflects the reactance, while the blue line represents the resistance of the proposed helical antenna. Figure 9 (a) shows a sharp change in impedance from \( f = 1.5 \) GHz to 1.7 GHz. Following that, the frequency impedance remained almost constant, similar to zero. About 2.2 GHz and 2.4 GHz, the magnitude of impedance was high at 9 (b). The transition in impedance from 1.5 GHz to 1.7 GHz was very sluggish. Between 1.8 GHz and 2.0 GHz, impedance varies dramatically in 9 (c). Impedance was nearly constant after 2.0 GHz. In 9 (d), the impedance changing rate was very high between 1.5GHz and 16.5 GHz, almost constant between 16.5 GHz and 2.05 GHz and mild between 2.05 GHz and 2.4 GHz.

![Fig. 5: Helix antenna height against number of turns](image)
VSWR Against Frequency

Figure 10 shows the voltage standing wave ratio versus frequency. At 11 GHz, VSWR changed significantly between $f = 1.5$ GHz and 1.68 GHz 10(a). The magnitude of VSWR remained relatively unchanged after that frequency, at -5 dB. 10 (b) had a very high VSWR shifting pace, varying from 1.5 GHz to 2 GHz. After that frequency, the shifting intensity was virtually constant and the magnitude was about 0dB. In 10 (c), the VSWR was normally moving between 1.5 GHz and 1.9 GHz. The VSWR started to fluctuate rapidly after that frequency. At 11 (d) VSWR, the switching rate from 1.5 GHz to 16.5 GHz was incredibly fast. From 16.5 GHz to 2.03 GHz, the changing rate was almost constant, with a magnitude of almost 3 dB and from 2.05 GHz to 2.4 GHz, the changing rate was medium.

Return Loss Against Frequency

Figure 11, the return loss was plotted against frequency. In the 11 (a) between $f = 1.5$ GHz and 1.63 GHz, return loss improved significantly. At that frequency, the degree of return loss changed slowly near 5 dB. 11 (b) has a very high changing rate of return loss, varying from 1.5 GHz to 2.0 GHz. The changing rate of the return loss at that frequency was very low, with a magnitude of nearly 6dB. In 11(c), the return loss changed naturally between 1.5 GHz and 1.75 GHz. After this frequency, the return loss changed dramatically. The changing rate of return loss was medium from 1.5 GHz to 16.5 GHz and from 16.5 GHz to 2.03 GHz, the changing rate was almost constant and the magnitude was almost 5dB. The rate of change from 16.5 GHz to 2.03 GHz was nearly constant, with a magnitude of almost 5 dB and the rate of change from 2.05 GHz to 2.4 GHz was mild.

Charge Distribution of Helical Antenna

The blue colour depicts the reflecting point of the proposed helical antenna shown in Fig. 12. There are 7 turns which are indicated by black colour. On the right side, there is a scale of charge distribution in nC/m.

Azimuthal Radiation Patterns of the Proposed Helical Antenna

The azimuthal radiation patterns of the proposed helical antenna are shown in Fig. 13.

Elevation Radiation Patterns of the Proposed Helical Antenna

The elevation radiation patterns of the proposed helical antenna are shown in Fig. 14 and 15.

The antenna patterns had a directivity of 12.2 dB for the same operating frequency, as shown in Fig. 14. Furthermore, the majority of the energy was directed in the positive $z$ direction, with side-lobes that were more than 6.4 dB below the main lobe. The polar form, on the
other hand, is shown in Fig. 14 and the simulation results in a directivity of 12.2 dB. The simulation results in a directivity of 12.2 dB and a beam width of 32.3 degrees for a 10 turn antenna.

![Graph](image1.png)  
![Graph](image2.png)  
![Graph](image3.png)  
![Graph](image4.png)

Fig. 9: Input impedance against frequency of the proposed helical antenna at N = 10 (a) r = 0.02 m (b) r = 0.03 m (c) r = 0.04 m (d) r = 0.05 m

![Graph](image5.png)  
![Graph](image6.png)  
![Graph](image7.png)  
![Graph](image8.png)

Fig. 10: VSWR against frequency of the proposed helical antenna at N = 10 (a) r = 0.02 m (b) r = 0.03 m (c) r = 0.04 m (d) r = 0.05 m
Fig. 11: Return loss against frequency of the proposed helical antenna at N = 10 (a) r = 0.02 m (b) r = 0.03 m (c) r = 0.04 m (d) r = 0.05 m

Fig. 12: Charge Distribution of the proposed helical antenna at f = 2.4 GHz, r = 0.05 m and N = 10
Fig. 13: Radiation patterns of the proposed helical antenna at $N = 10$ (a) $f = 2.4$GHz, $\phi = 0^\circ$ plane, $r = 0.02$m (b) $f = 2.4$GHz, $\phi = 0^\circ$ plane, $r = 0.03$m (c) $f = 2.4$GHz, $\phi = 0^\circ$ plane, $r = 0.04$ (d) $f = 2.4$GHz, $\phi = 0^\circ$ plane, $r = 0.05$m

Fig. 14: Radiation patterns of the proposed helical antenna at $N = 10$ (a) $f = 12.4$GHz, $\phi = 0^\circ$ plane, $r = 0.02$m (b) $f = 2.4$GHz, $\phi = 0^\circ$ plane, $r = 0.03$m (c) $f = 2.4$GHz, $\phi = 0^\circ$ plane, $r = 0.04$ (d) $f = 2.4$GHz, $\phi = 0^\circ$ plane
Magnetic Field Strength Against Distance

In 15 (a) and (b), the magnetic field strength was plotted against distance while the helix antenna was fixed and revolving, respectively.

When the distance was about 3 m, the mean magnetic field for both fixed helix was about 50 T, as shown by the blue color and the minimum magnetic field was about 12 T, as indicated by the black color, when the distance was about 25 m.

When $n = 1$, orange when $n = 2$ and blue when $n = 3$, there are almost three colors: black when $n = 1$, orange when $n = 2$ and blue when $n = 3$. The mean magnetic field strength for the spinning helix was nearly 60 T when the distance was 5 m, as shown by the magenta colour and the minimum magnetic field was 17 T when the distance was 28 m. the number of turns increased, the value of magnetic field strength increased and as the distance increased, the magnetic field strength decreased. This happened mainly due to the antenna polarization.

Induced Voltage Against Distance

As the helix antenna rotated, the caused voltage was plotted against distance in Fig. 16. The generated voltage varied as the number of turns varied for various radius helix antennas, (a) $r = 0.02$ m, (b) $r = 0.03$ m, (c) $r = 0.04$ m, (d) $r = 0.05$ m. The overall induced voltage in Fig. (a) was almost 9 volts, which was used for low voltage applications, such as cell phones.

The overall induced voltage in Fig. 16 (b) was almost 18 volts, which was used for medium voltage applications, such as laptops. The maximum induced voltage was approximately 35 volts and 55 volts, respectively, as seen in Fig. 16 (c) and (d) and was once used in high-voltage equipment like televisions. The generated voltage varies with the number of flips. Due to antenna polarization, the induced voltage fluctuates, so the graph is not linear. The above relationship was discovered after studying each Table 1.
we collect the Induced magnetic field and EMF at various distances for various numbers of turns and plot their related graphs. No paper gave a clear concept about the antenna model for a wireless charger. In this study we use a transformer to amplify the induced voltage and voltage multiplier circuit for amplifying the voltage at 4 times to the input voltage. This study is a continuation and a final stage of the exploration of charging an electronic device on different networks. This is an innovative model of using renewable energy. Other renewable energies like as solar cell etc. are not suitable at anywhere.

**Conclusion**

There was an induced voltage in the proposed antenna. All kinds of radiated EM waves were received by the proposed helical antenna. As the number of turns increased, the induced voltage also increased. The incident EM waves were distorted by scattering, reflection, refraction and other factors. There were no specific rules for inducing EM waves. EM waves were radiated from different electronic devices and these radiated waves induced voltage at the antenna inductor. In low frequency waves, the induced EMF was high, while in high frequency waves, it was low. Induced EMF and magnetic field increased as the number of turns increased and the diameter of the proposed helical antenna increased. Antenna polarization affected those results.

Study limitations:

- Costing is very high
- Different types of transformer are needed for different devices
- It is difficult to find out such kind of transformer in real life
- Setting the value of time in the timer circuit is very difficult for uneducated user

**Future Research**

Using the human body as an antenna, charge every electronic device from ambient EM waves.

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Author’s Contributions

Pankaj Chandra Kar: Conceived the project idea and designed experimental works, conceptualization, edited the manuscript.

Ariful Islam: Led the overall research works.

Amit Paul and Joydip Chakraborti: Supported writing the preliminary manuscript.

Subrata Sutrathar: Supported to calculate the coverage area of the lift.

Fardin Teen Rahman: Fardin Teen Rahman supported writing the experimental setup.

Ethics

This article is original and contains unpublished material. The corresponding author confirms that all of the other authors have read and approved the manuscript and no ethical issues involved.

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